PROCEDURA PUBBLICA DI SELEZIONE PER L'ASSUNZIONE DI N.1 RICERCATORE A TEMPO DETERMINATO AI SENSI DELL'ART.24, COMMA 3, LETT. B) DELLA LEGGE 240/2010 PER IL SETTORE CONCORSUALE 01/A3 - SETTORE SCIENTIFICO DISCIPLINARE MAT/05 – ANALISI MATEMATICA - DIPARTIMENTO DI MATEMATICA E FISICA - UNIVERSITA' ROMA TRE.

VERBALE N. 2 – ALLEGATO A
(elenco pubblicazioni presentate dai candidati)

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GHEZZI ROBERTA:

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